

## Section A

Q.	Answer
1.	(a) 12 (b) 90
2.	30
3.	$\frac{2}{3}$
4.	4.123 , 4.132 , 4.3 , 4.32 , 4.321
5.	$\frac{8}{12} = \frac{12}{18} = \frac{18}{27}$
6.	23
7.	42
8.	13 , 14
9.	27
10.	28
11.	57
12.	12 bags



13. 30 (p)

14. 24p , 57p , £1.26

15. (£) 54

16. (a) Bristol  
(b) 3

## Section B

Q.	Answer
1.	24 (coins)
2.	2 , 5 , 3 and 10 gifts
3.	(a) 533 (gammas) (b) 7 (alphas) 17 (betas) 4 (gammas)
4.	£0.85
5.	7
6.	22 chocolate biscuits
7.	80 cm
8.	10 cm
9.	89
10.	(a) 1.14 km (b) 8 minutes 33 seconds

## Section C

Q.	Answer
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1. (a) (i)  $1 + 3 + 5 + 7 = 16 = 4^2$

$1 + 3 + 5 + 7 + 9 = 25 = 5^2$

$1 + 3 + 5 + 7 + 9 + 11 = 36 = 6^2$

(ii)  $1 + 3 + 5 + 7 + 9 + 11 + 13 + 15 + 17 + 19 + 21 + 23 + 25 = 169 = 13^2$  (b) (i)  $13 + 15 + 17 + 19 = 64 = 4^3$

21 + 23 + 25 + 27 + 29 = 125 = 5<sup>3</sup>

31 + 33 + 35 + 37 + 39 + 41 = 216 = 6<sup>3</sup>

(ii) 10

(c) A = 10, B = 6, C = 4

2. (a) 48

(b) 21/2

(c) 3/8

(d) 7

(e) 6

(f)  $x \phi y = (x + y) \times y = xy^2 + y$

$y \phi x = (y + x) \times x = xy + x^2$  Since  $x \neq y$  and both  $x$  and  $y$  are positive,

therefore  $x^2 \neq y^2$

As such,  $xy + y^2 \neq xy + x^2$

which proves that

$x \phi y \neq y \phi x$

3. (a) Route AB – BC – CE  
10 (miles)  
(b) HF – FG – GE – EC  
14 miles  
(c) AB – BC – CE – EG – GF – FH  
21 (miles)

4.  $4 \times 296$   
 $2 \times 592$   
 $1 \times 1184$   
(a) Reduce the first number by 2 and multiple the second number by 2  
(b)  $9 \times 111$   
 $3 \times 333$   
 $1 \times 999$   
(c)  $1 \times 972$   
 $2 \times 486$   
 $4 \times 243$   
 $12 \times 81$   
 $36 \times 27$

5. (a) (i) 7  
(ii) 3  
(iii) 8  
(iv) 8  
(v) 3  
(b)  $n = 4$ ,  $m = 2$   
(c)  $p = 8$ ,  $q = 2$